

W A W W C A W E C H A W C W F W W C W W W W W W W W W W

RÍO DE JANEIRO 6-10 NOVEMBER 2023

Happy Birthday Constantino



2003



2013



2023

MUTABILITY AND ENTROPY: APPROACHES TO COMPLEX SYSTEMS.

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BARBARIC DEFINITION OF THE CALORIC CURVE; METROPOLIS




$$U(T) = \sum_{i=1}^W e_i p(e_i(T))$$




$$C_V(T) = \frac{dU(T)}{dT}$$



$$S(T) = \int_0^T \frac{dC_V(T')}{dT'} dT' ; S(0) = 0$$



$$M(T) = \sum_{i=1}^N S_i$$

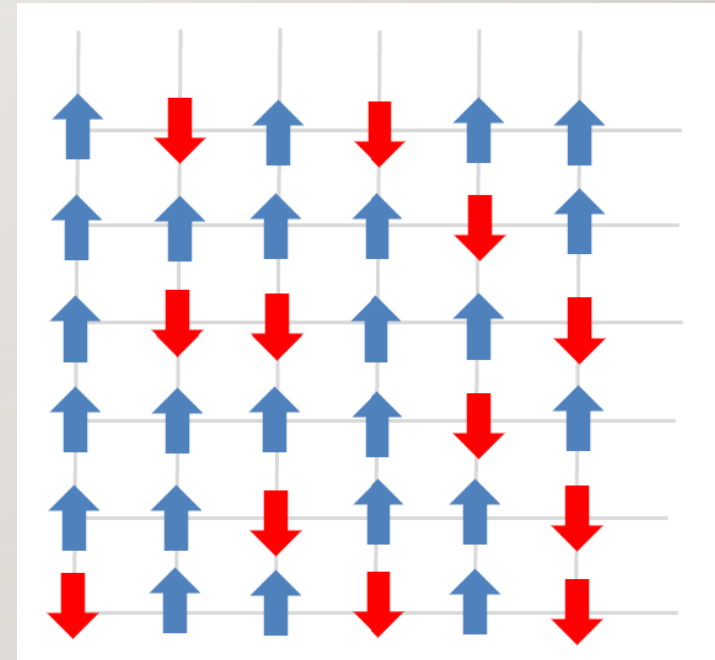


$$\chi(T) = \frac{1}{k_B T} (\langle M^2 \rangle - \langle M \rangle^2)$$

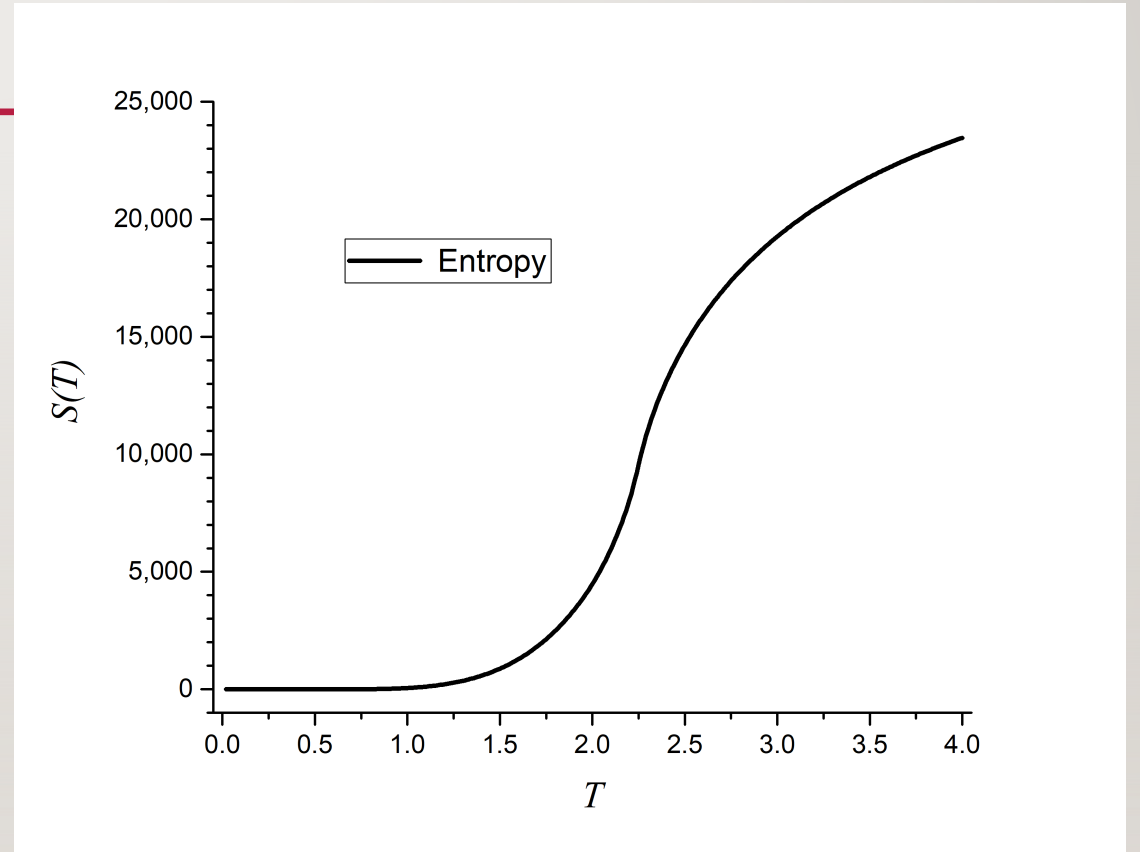
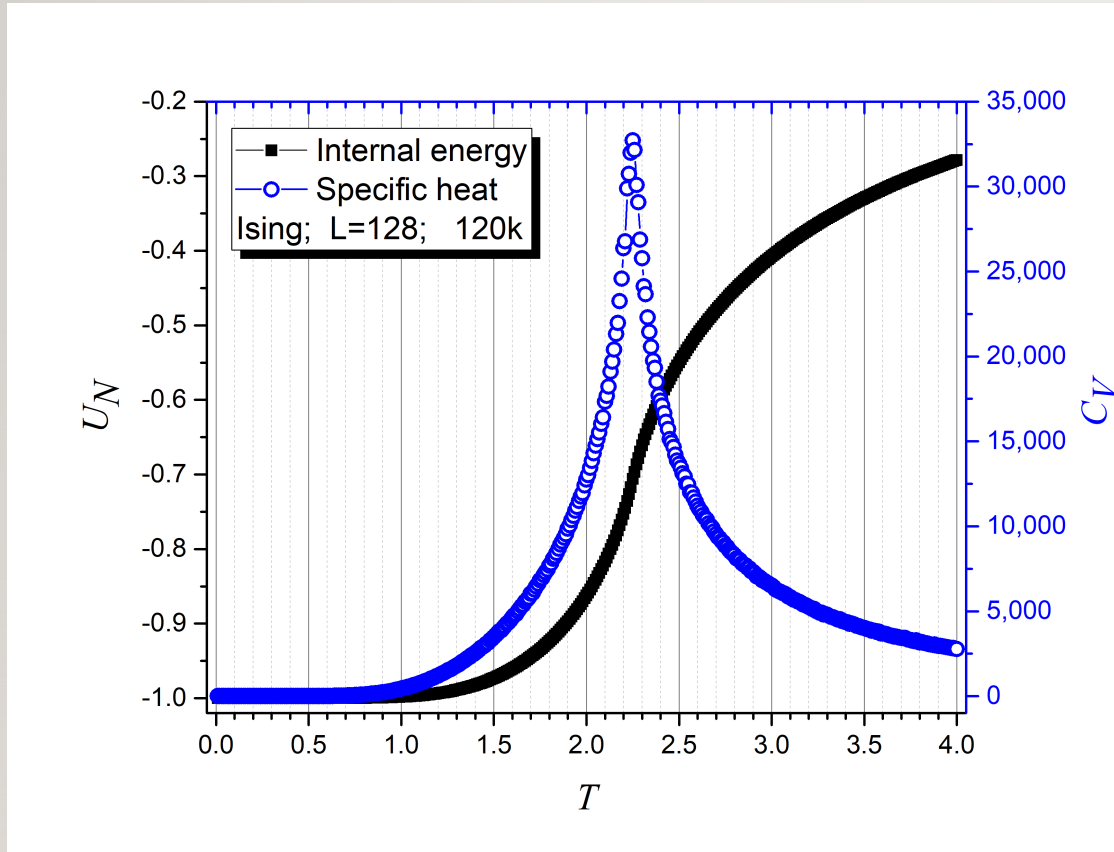
$k_B = 1$

$$H = -J \sum_{k,l=1}^{L^2} S_k S_l$$

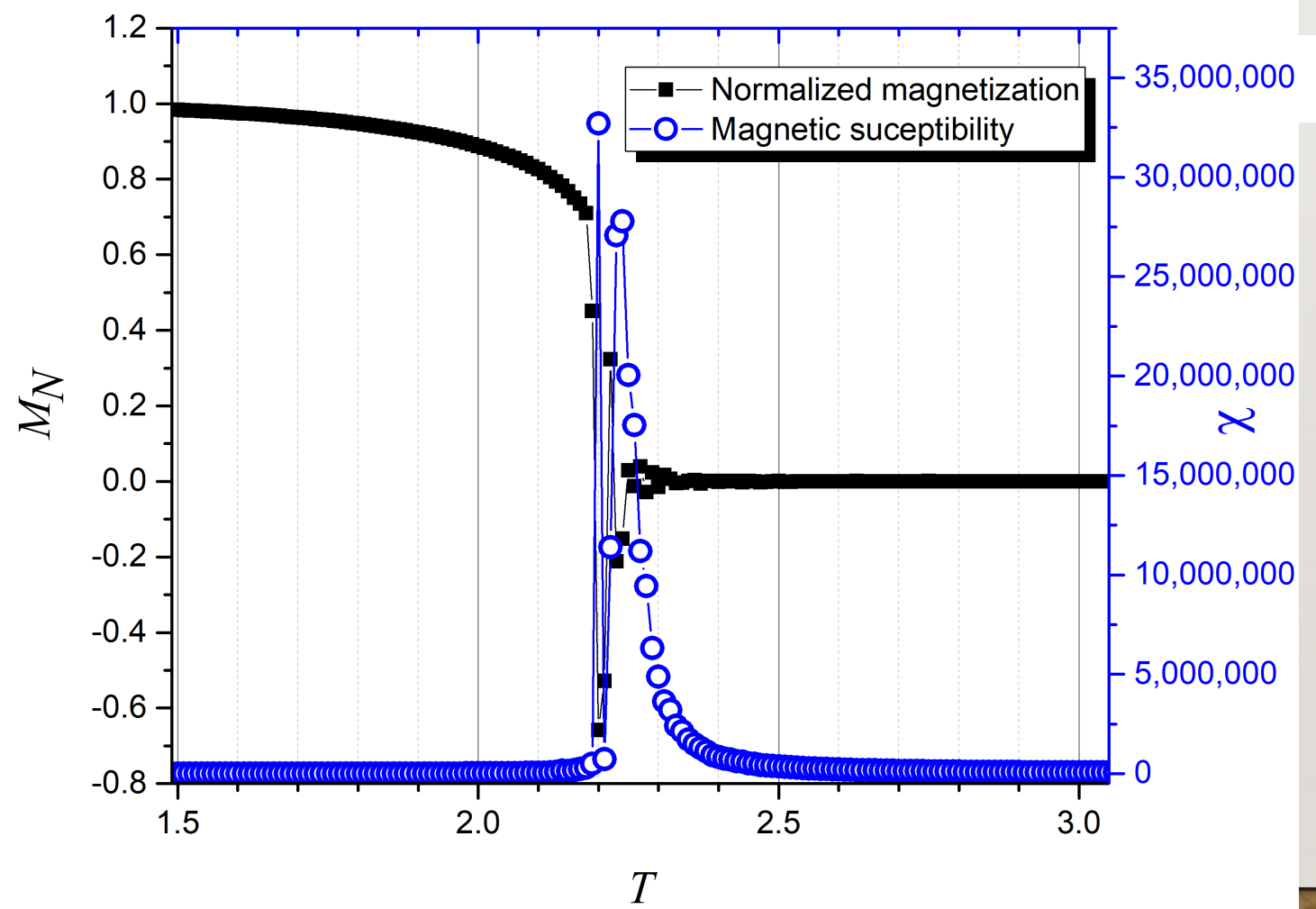
- Random initial pick
- One MC step= L^2 attempts
- If $U(l+1) \leq U(l)$ accept
- If $U(l+1) > U(l)$, then if $\exp\{-[U(l+1)-U(l)]/T\} > \text{random}$, accept (Metropolis)
- 120,000 MC steps



1D Ising: Energy, Specific Heat, Entropy



AG: AG EA, AG EC CE BI



Ergodicity breaking

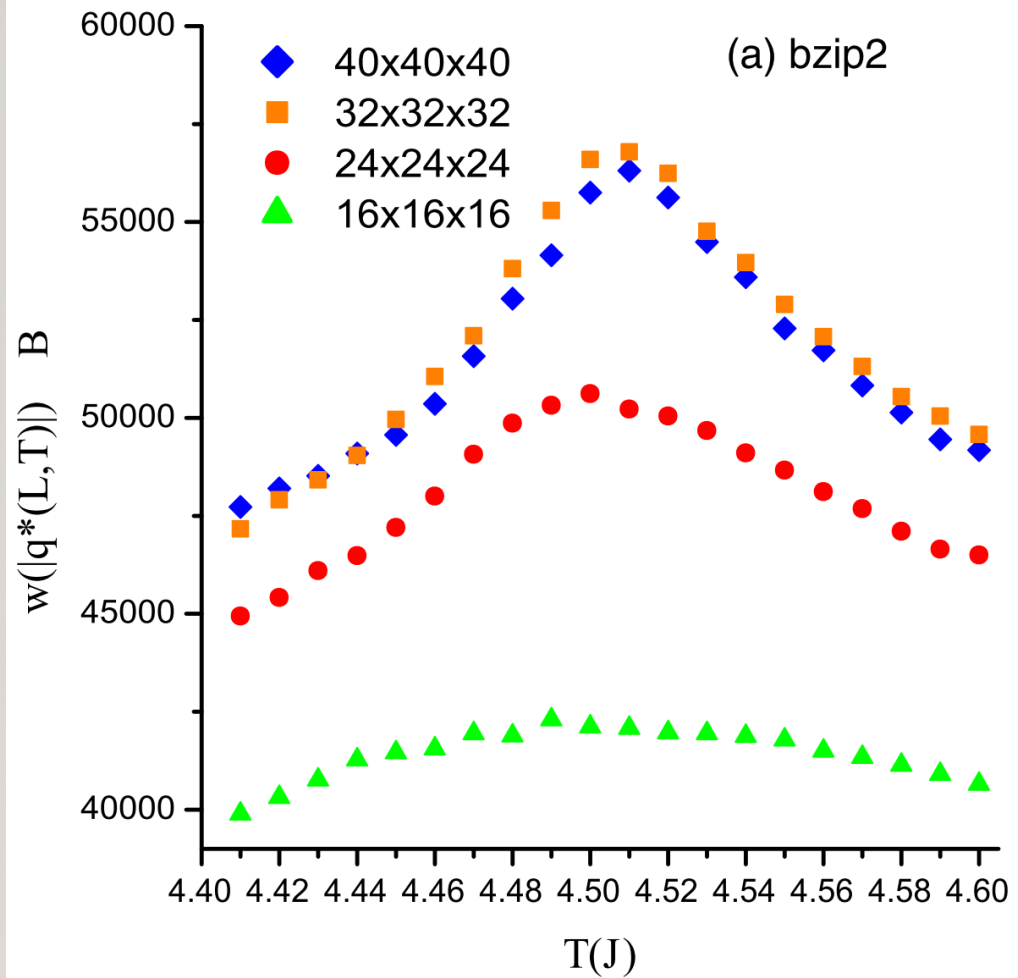
ABI (E F F E)

- A ()
- w ()
- w^* ()
- $\zeta w^*/w$ ()
- Any compressor could be used here, but **not all** give the same results. Optimization!!

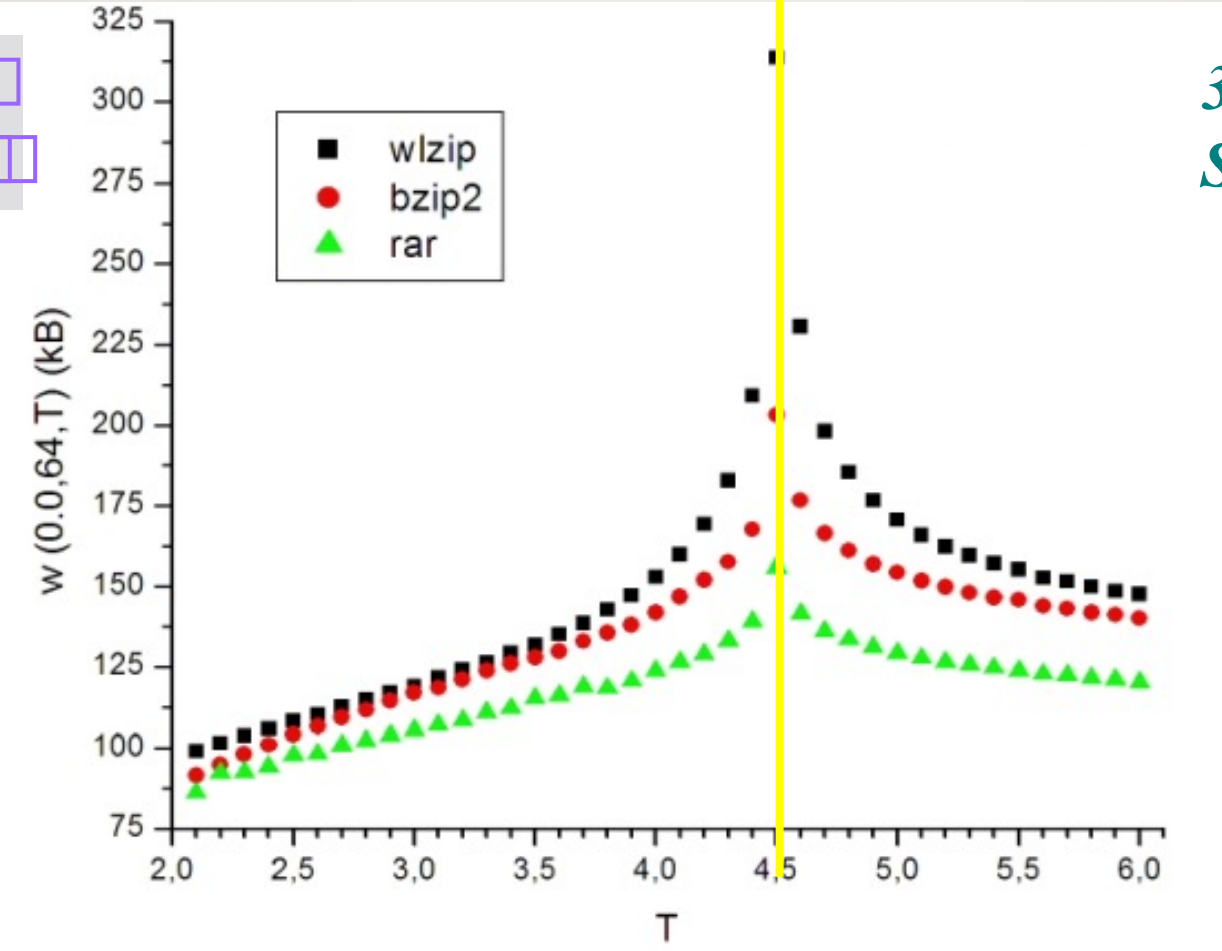
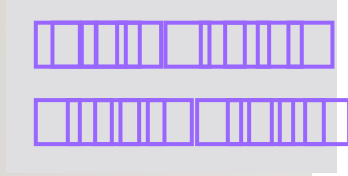
$$(\mu = \vartheta \Rightarrow) \zeta = \frac{w^*}{w}$$



3D IIG DE (C=4.507)

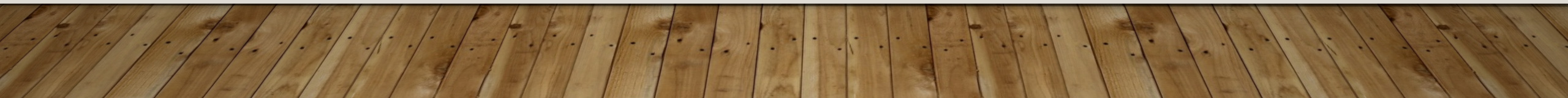
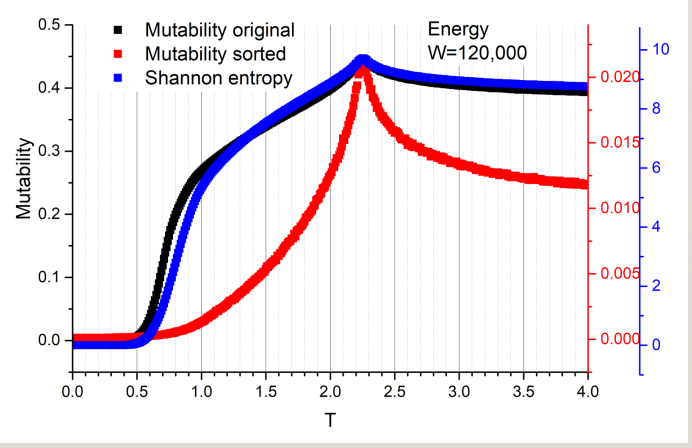
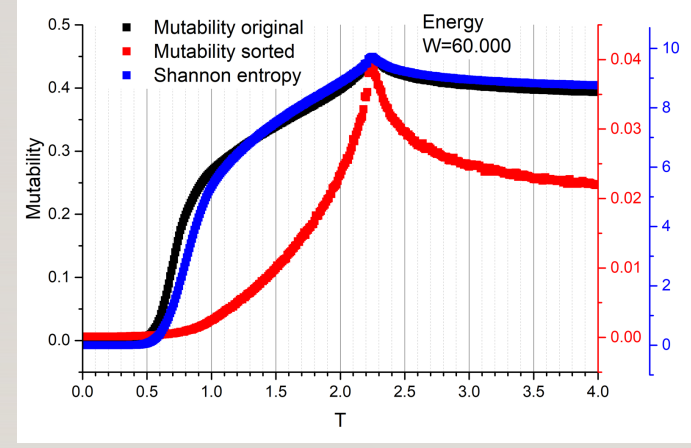
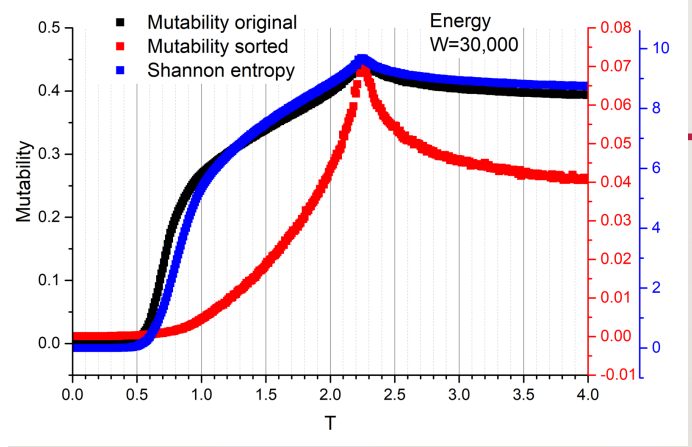
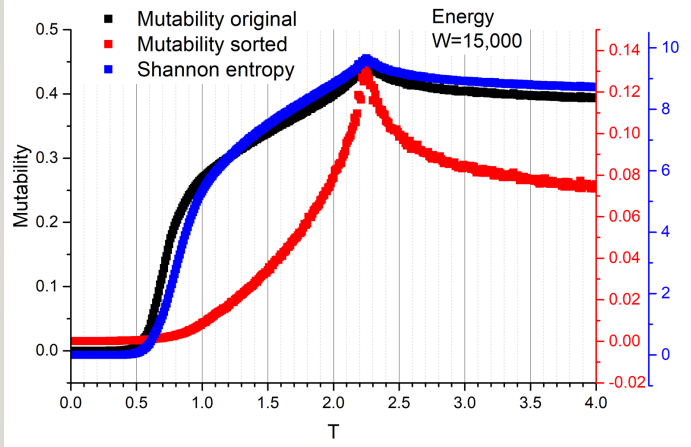


C [] [] [] [] A [] [] [] G [] [] [] [] [] [] I [] [] H [] [] [] E [] [] [] [] [] [] [] [] []

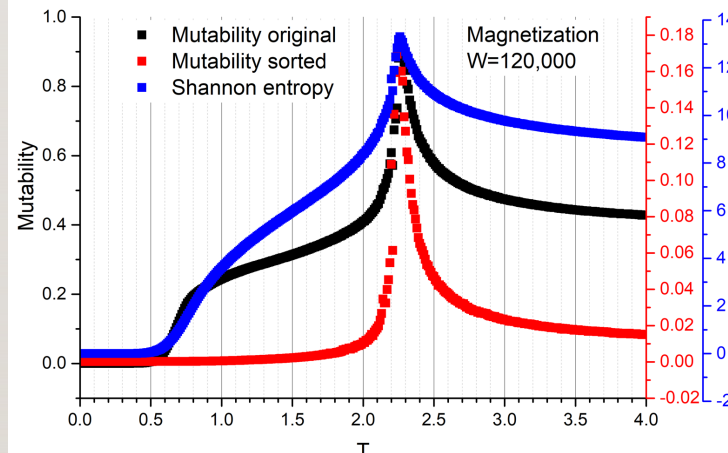
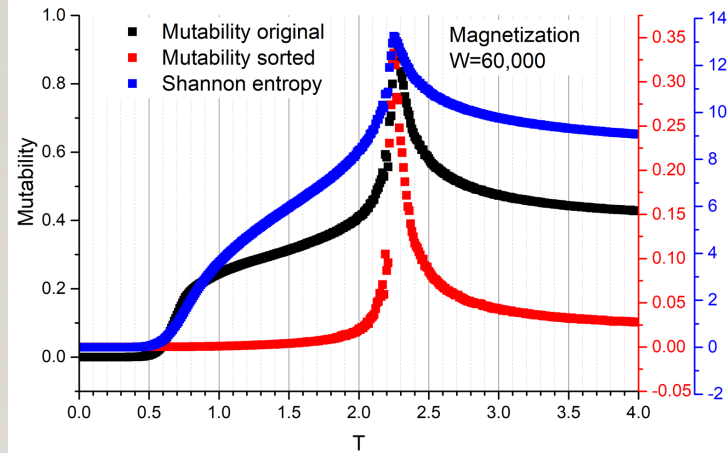
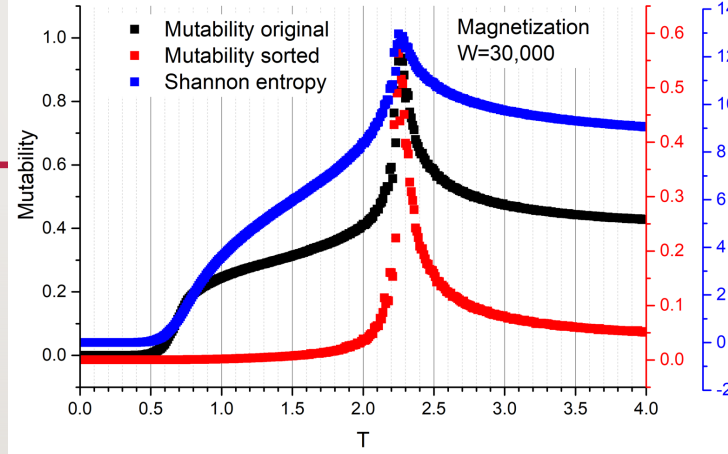
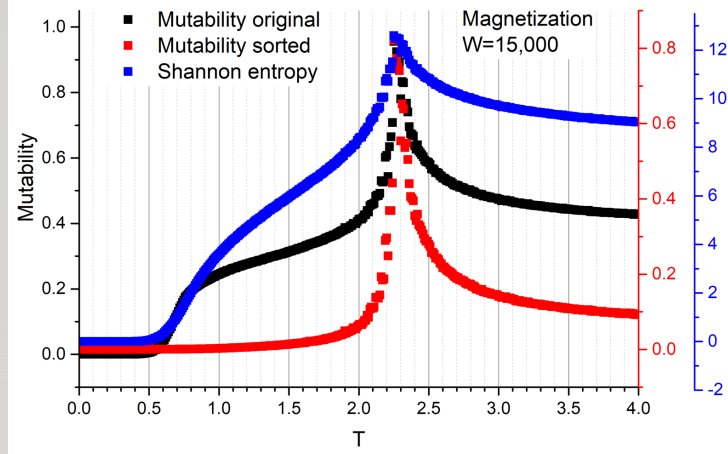


Energy landscape, 128 based energy landscape;

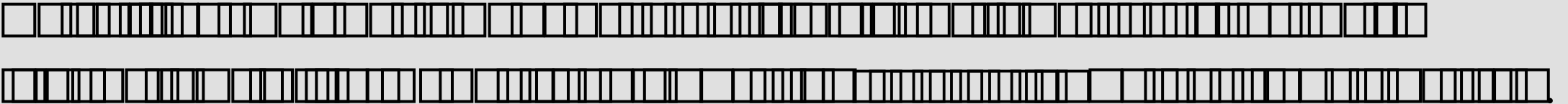


Energy landscape



100G 2D; $\xi=128$, BAED $\square\square\square$ AG $\square\square\square$ A $\square\square\square$ $\square\square\square$ E $\square\square$

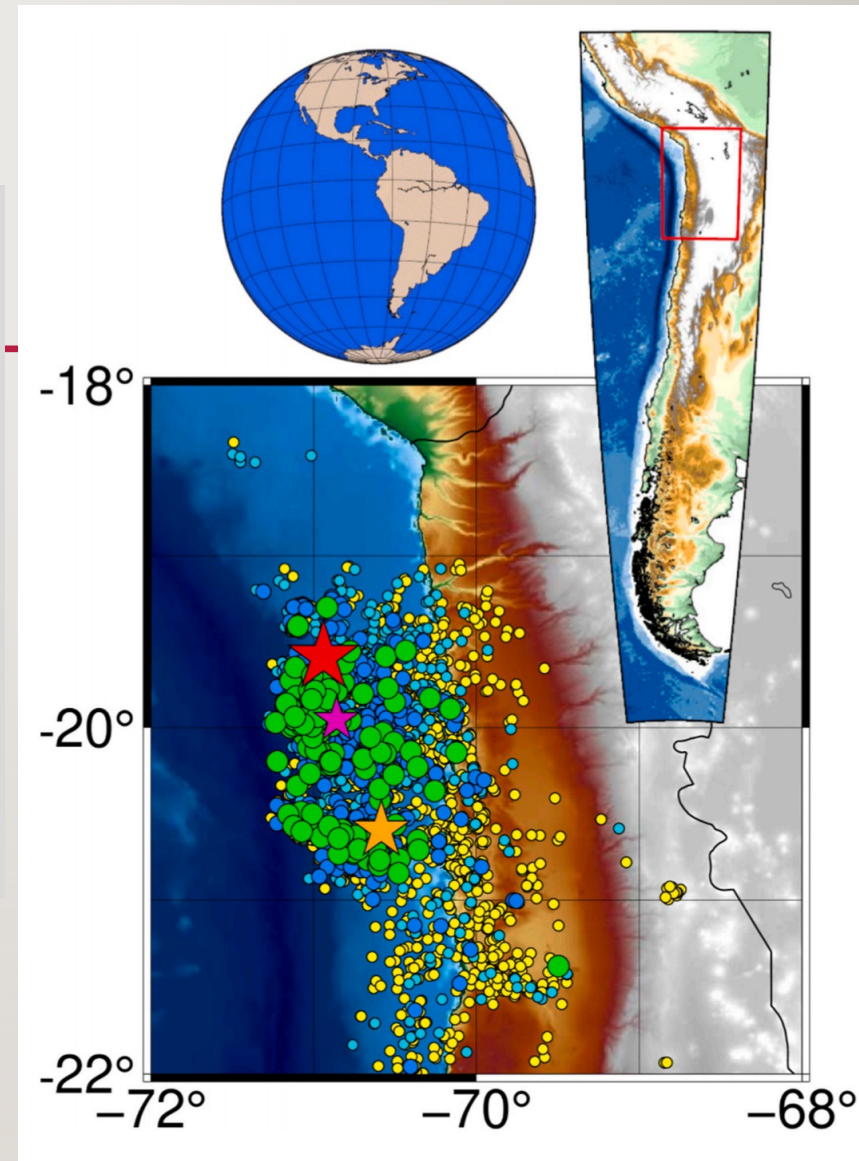


C□□C□□DI□G □E□A□□□; FI□□□A□□

- 
- D 
- C 

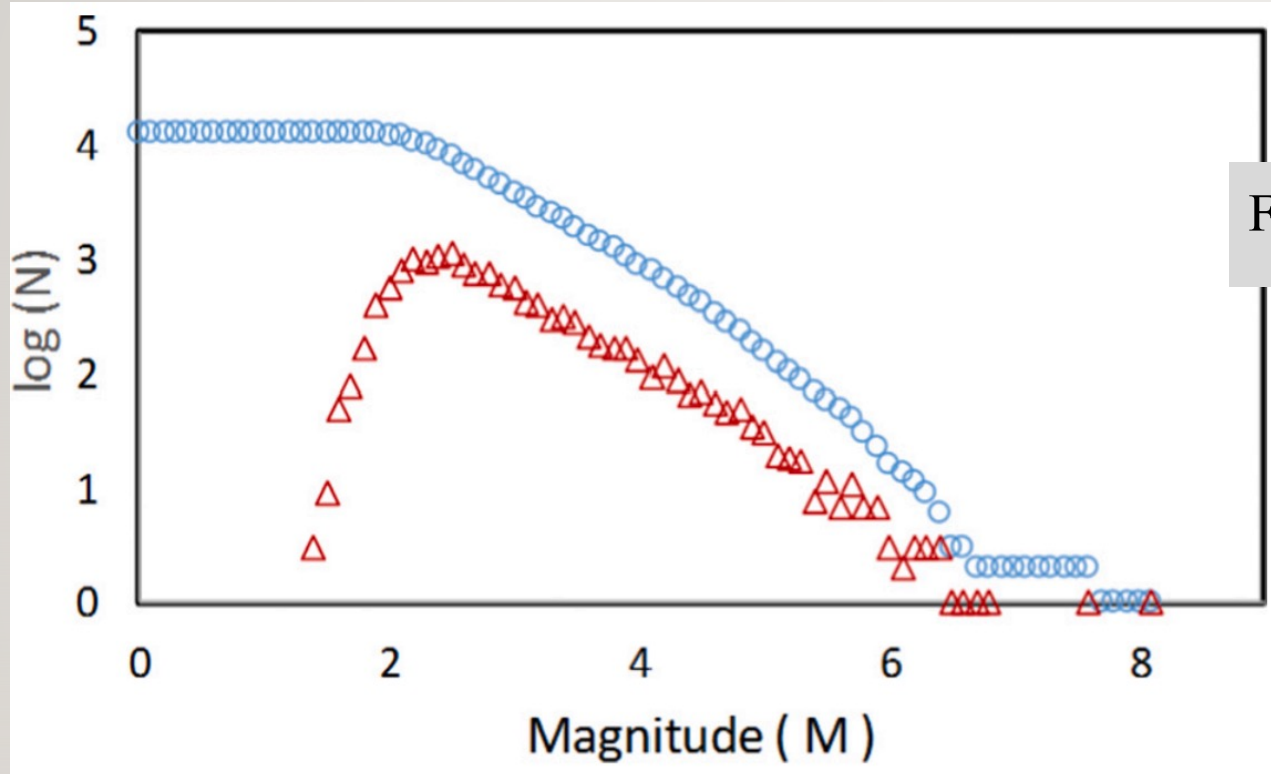
DEFINITION OF THE SEISMIC ZONE

- Seisms related to the **Mw 8.1 Iquique earthquake**, on April 1, 2014.
- Use the Integrated Plate Boundary Observatory Chile (**IPOC**) catalog, which sets dates: from 2007.01.01 up to 2014.12.31 (Filter #1).
- Filter # 2: Seisms within **rectangle 18-24S and 68-72W**.
- List of seisms Mw6.3 and larger, within these conditions:



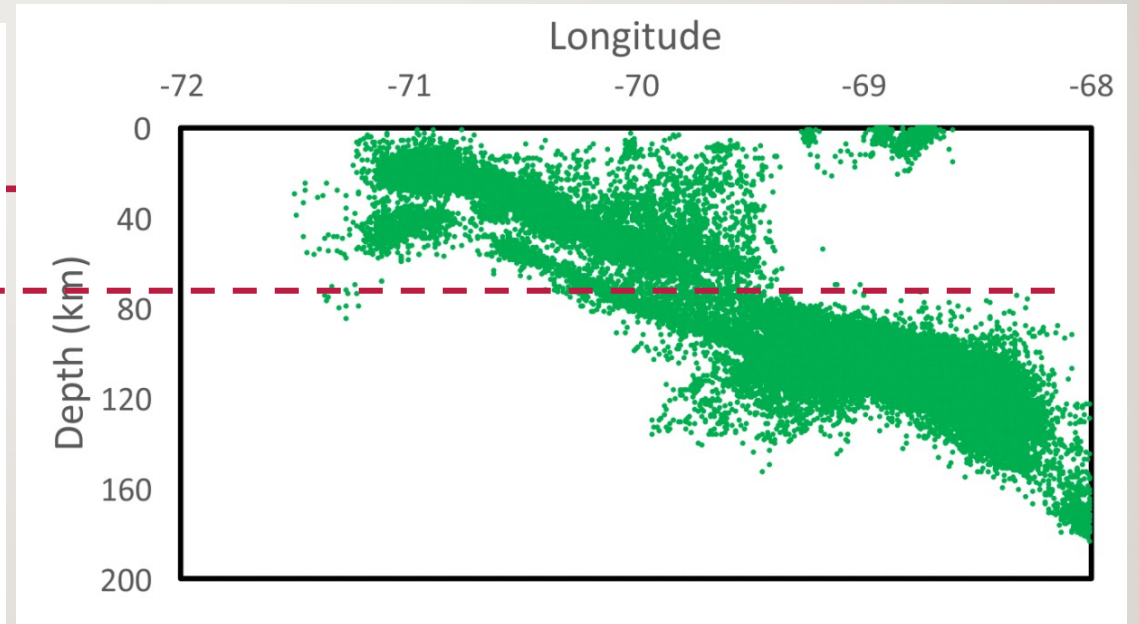
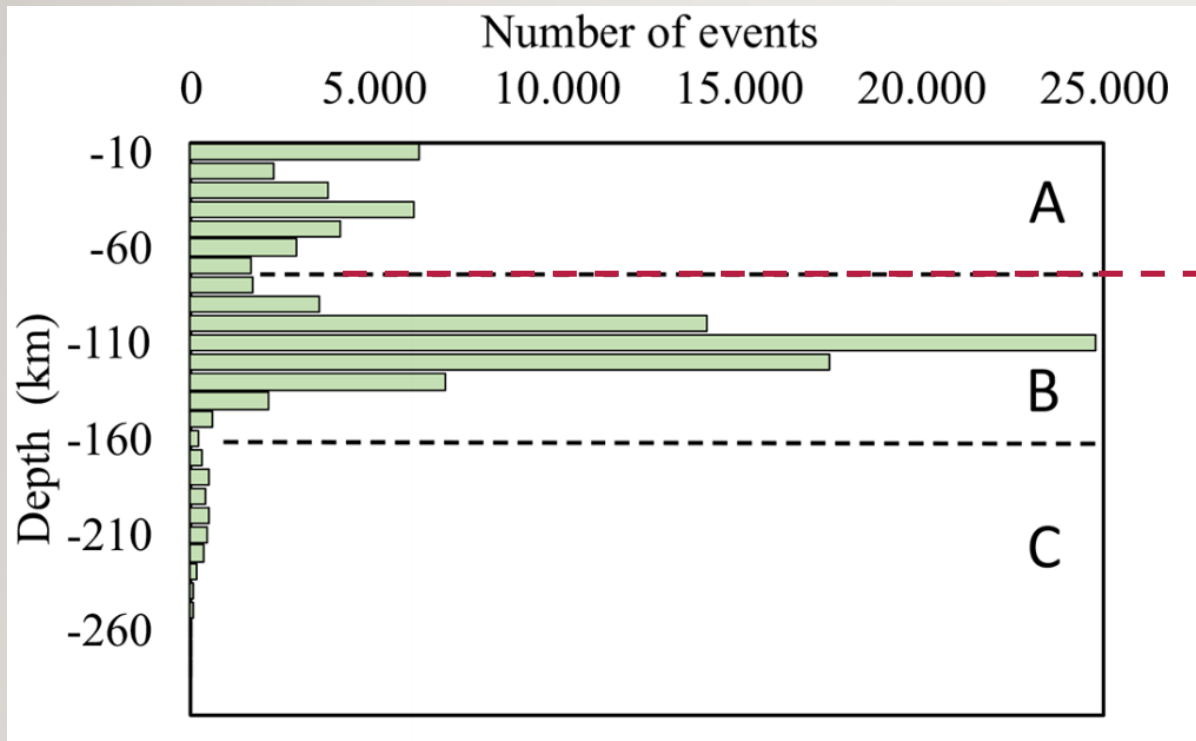
Year	Month	Day	Magnitude	Latitude	Longitude	Depth
2014	3	16	★ 6.6	-19.95476	-70.85965	17.86
2014	3	17	6.4	-19.97812	-70.95194	21.09
2014	3	22	6.3	-19.74193	-71.03003	46.32
2014	4	1	★ 8.1	-19.58927	-70.94021	19.91
2014	4	3	6.4	-20.23952	-70.68120	24.34
2014	4	3	★ 7.6	-20.59462	-70.58543	21.96
2014	4	4	6.3	-20.59444	-70.70383	22.50
2014	4	11	6.3	-20.70646	-70.72461	20.72

AG DE, E (2014) A D G E BE G-CH E



Filter # 3: Seisms with magnitude Mw over 2.2.




DE [] H B [] I [] C ([] E F []) ; [] B D [] C [] [] [] [] G [] A [] [] DE ([] G H [])



Filter #4: Seisms with depth up to 70 km are left for the analysis

The total number of seisms after the 4 filters is 10640.

HANDLING OF DATA

- D 
- 
- D 

Tsallis entropy has been expressed as
$$S_T = \frac{1}{q-1} \left[1 - \sum_i^{\Omega} p_i^q \right],$$

where q has to be evaluated for each system. For our seismic distribution we can assign a probability $p(M_i)$ to each magnitude according to the distribution for the 10640 entries. Then we can make use of direct relationships from statistical physics:

$$S(T) = - \sum_{M_0}^{M_{Max}} p(M_i) \text{Log}(p(M_i));$$

$$\sum_{M_0}^{M_{Max}} p(M_i) = 1;$$

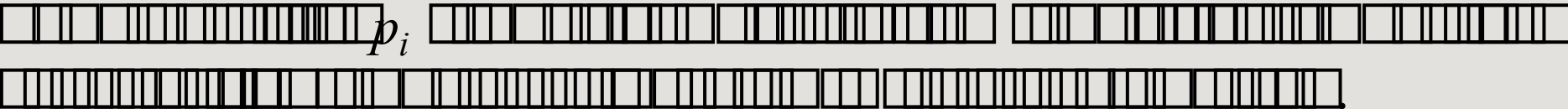







$$\bar{M} = \sum_{M_0}^{M_{Max}} M_i p(M_i)$$

The combination of these three conditions by means of Lagrange multipliers and the physical conditions imposed by the Gutenberg Richter method can lead to get the value of q

ANÁLISIS DE LA DIVERSIDAD ALFA

Autores	Región	q
Sotolongo y Posadas 2004	Sur Península Ibérica (Andalucía)	1,6
	Península Ibérica	1,64
	California	1,65
Silva et al. 2006	Samambaia - Brazil	1,6
	New Madrid - USA	1,63
	Anatolian - Turkey	1,71
Daroonch y Mehri, 2010	Irán	1,78
	California	1,81
Telesca 2010	L'Aquila Italia (Periodo 1)	1,48
	L'Aquila Italia (Periodo 2)	1,74
	L'Aquila Italia (Periodo 3)	1,7
Telesca 2011	California	1,54
Valverde-Esparza et al. 2012	Jalisco (México)	1,7
	Michoacan (México)	1,69
	Oaxaca (México)	1,63
	Guerrero (México)	1,64

HA E

-  p_i  

- A 

- 


2.4
4.0
3.8
4.0
2.2
4.6
3.5
2.9
2.2
3.0
4.1
3.1
4.3
4.3
3.6
5.5
3.5
2.4
3.5
2.7
2.5
2.2
2.5
2.3
2.5
2.6
3.3
2.4
2.9
2.6
2.8
2.3
2.2
2.2
2.4
3.8
4.1
2.8
2.4
2.5
2.2
2.5
2.8
2.3
2.5
3.4
4.0
4.0
2.9

□ □□□ □A □D □□□ABI □□□□



W

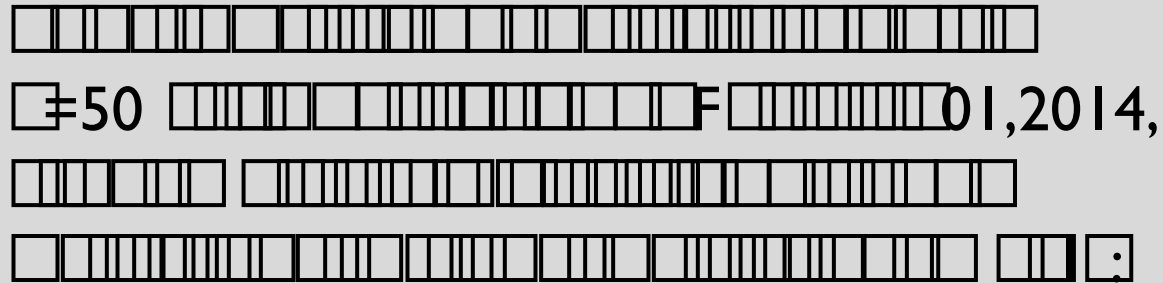
W*

$$h(T) = - \sum_{j=1}^{\text{beans}} p_j(T) f_j \text{Log}(p_j(T))$$



$$\zeta = \frac{w^*}{w}$$

□ □□ □AF □E □□□□□□ □G






2.2, 2.2, 2.2, 2.2, 2.2, 2.2, 2.3, 2.3, 2.3, 2.4,
 2.4, 2.4, 2.4, 2.4, 2.5, 2.5, 2.5, 2.5, 2.5, 2.5,
 2.6, 2.6, 2.7, 2.8, 2.8, 2.8, 2.9, 2.9, 2.9, 3.0,
 3.1, 3.1, 3.3, 3.4, 3.5, 3.5, 3.5, 3.6, 3.8, 3.8,
 4.0, 4.0, 4.0, 4.0, 4.1, 4.1, 4.3, 4.3, 4.6, 5.5

j	M	Map	f_j	$p_j = f_j/R$
1	2.2	0,6	6	0.1200
2	2.3	6,3	3	0.0600
3	2.4	9,5	5	0.1000
4	2.5	14,6	6	0.1200
5	2.6	20,2	2	0.0400
6	2.7	22	1	0.0200
7	2.8	23,3	3	0.0600
8	2.9	26,3	3	0.0600
9	3.0	29	1	0.0200
10	3.1	30,2	2	0.0400
11	3.3	32	1	0.0200
12	3.4	33	1	0.0200
13	3,5	34,3	3	0.0600
14	3.6	37	1	0.0200
15	3.8	38,2	2	0.0400
16	4.0	40,4	4	0.0800
17	4.1	44,2	2	0.0400
18	4.3	46,2	2	0.0400
19	4.6	48	1	0.0200
20	5.5	49	1	0.0200

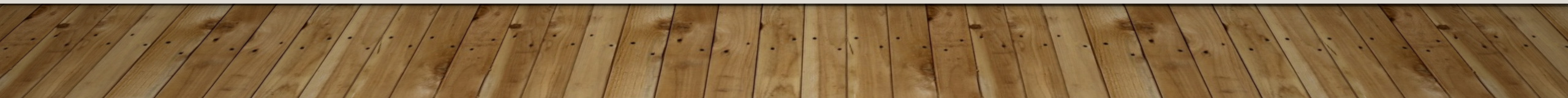
A A A F A B I (D A I C A E)

- [Diagram of a horizontal bar divided into segments, with the right portion highlighted in red]
- [Diagram of a horizontal bar divided into segments, with the left portion highlighted in green]
- F [Diagram of a horizontal bar divided into segments, with the right portion highlighted in green]
- I [Diagram of a horizontal bar divided into segments, with specific values for ζ highlighted in red, purple, and black]

E A D D I C F I E B

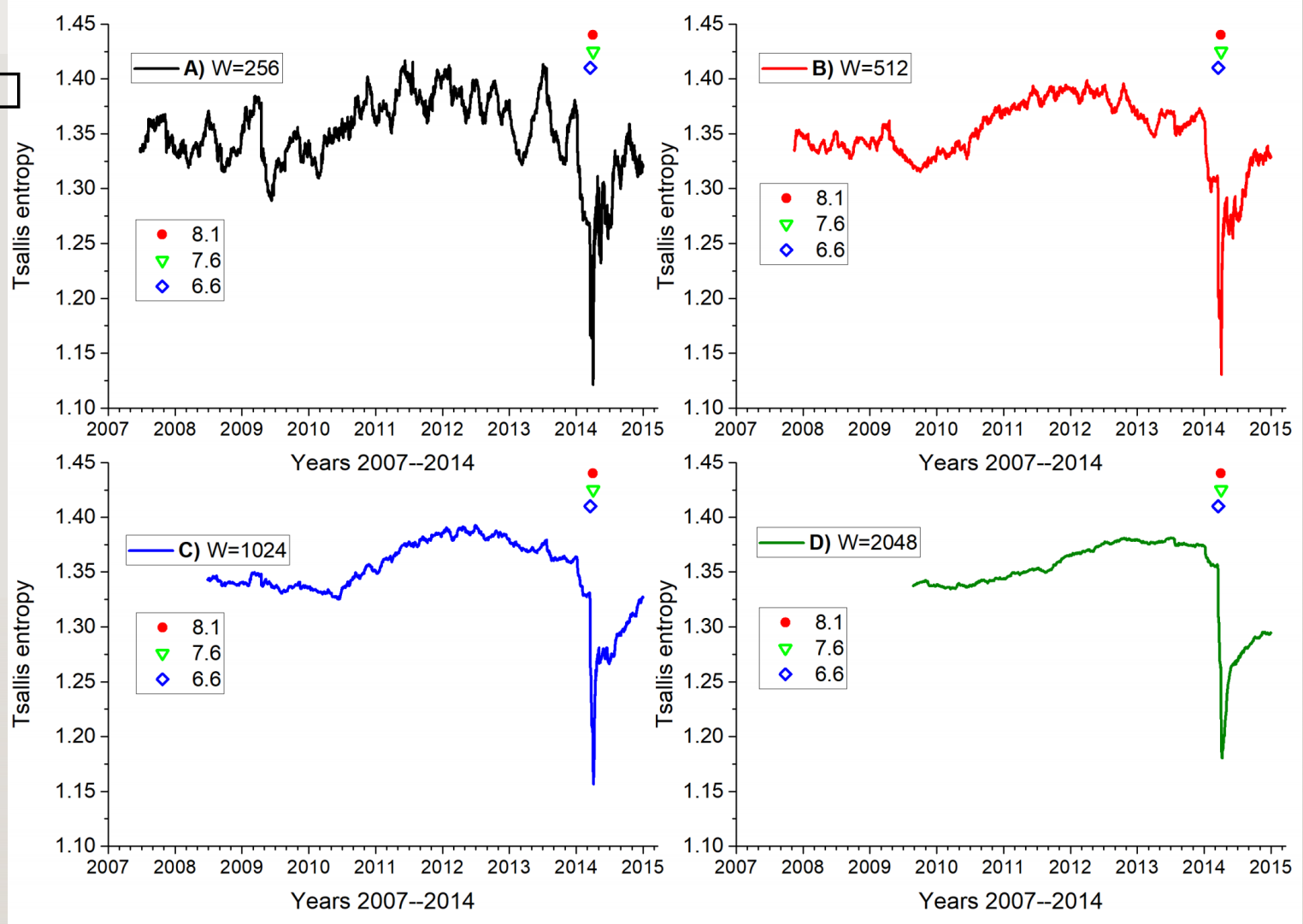
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Citation: Pasten, D.; Vogel, E.E.; Saravia, G.; Posadas, A.; Sotolongo, O. Tsallis Entropy and Mutability to Characterize Seismic Sequences: The Case of 2007–2014 Northern Chile Earthquakes. *Entropy* **2023**, *25*, 1417. <https://doi.org/10.3390/e25101417>






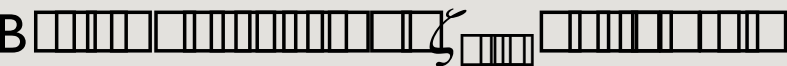














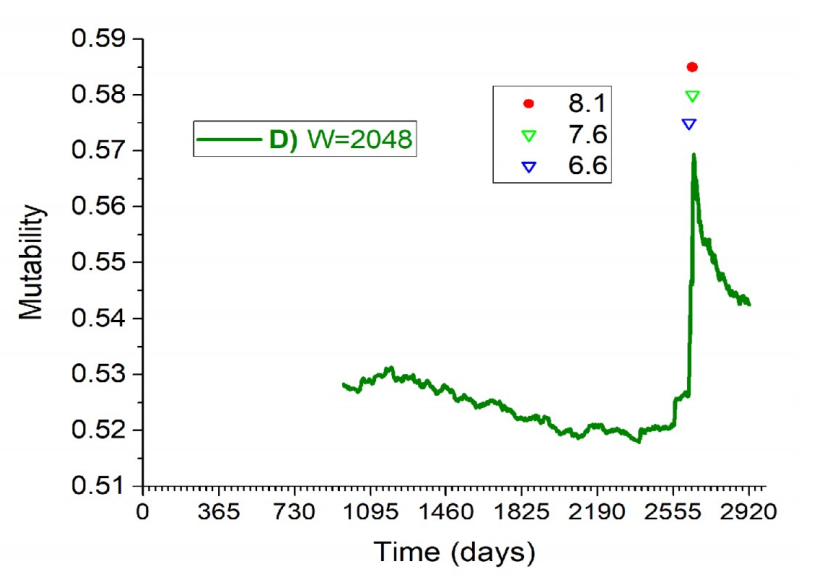
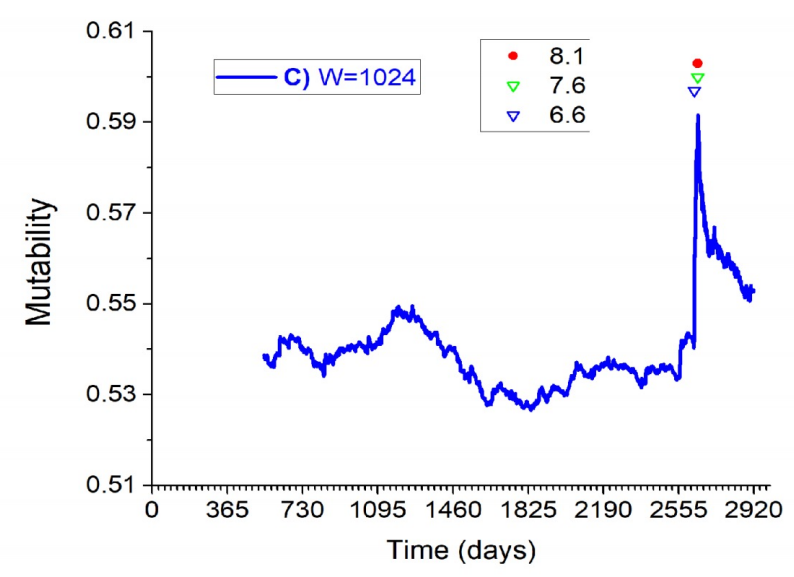
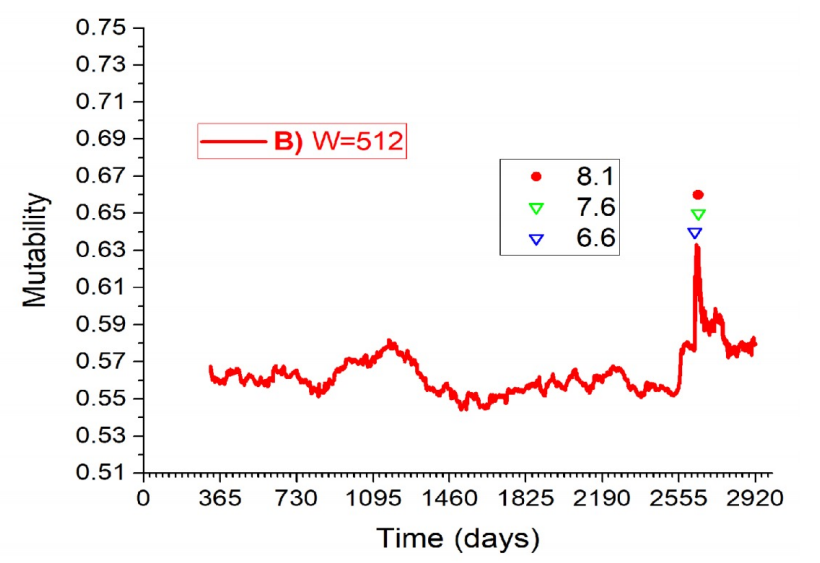
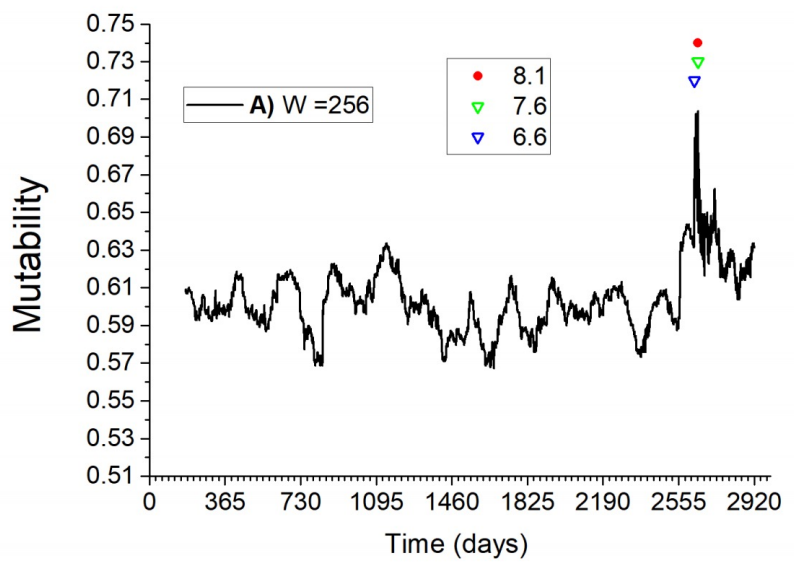
TSALLIS ENTROPY (IC DATA)

- (IC DATA)
- $W=256$ 2048 .
- 2007-14.
- S_T 2014.04.01

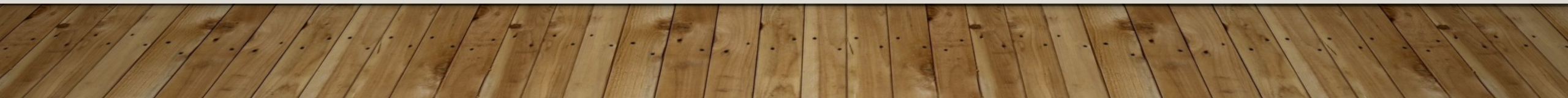
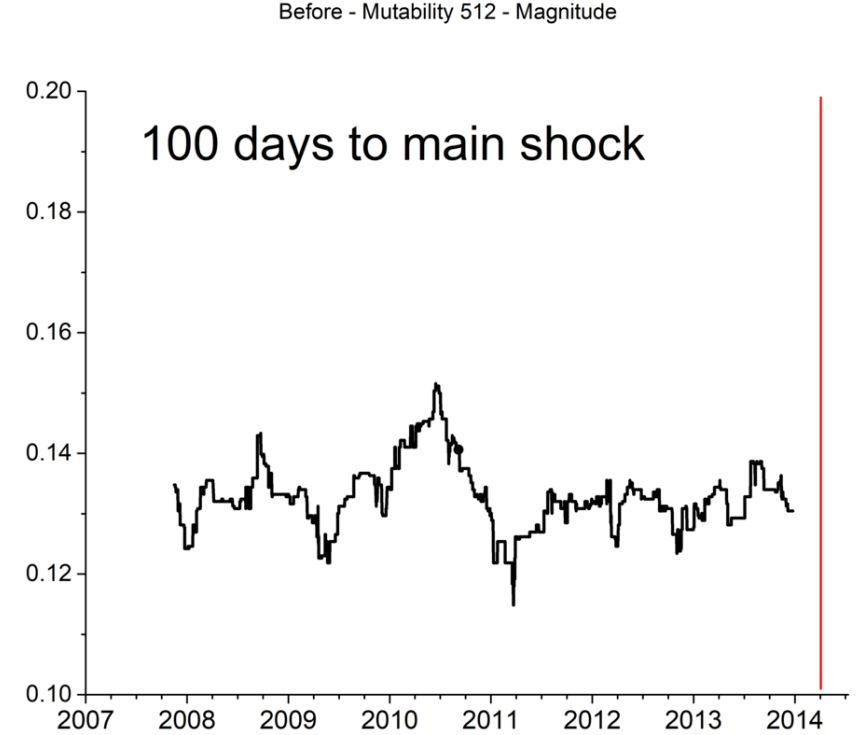
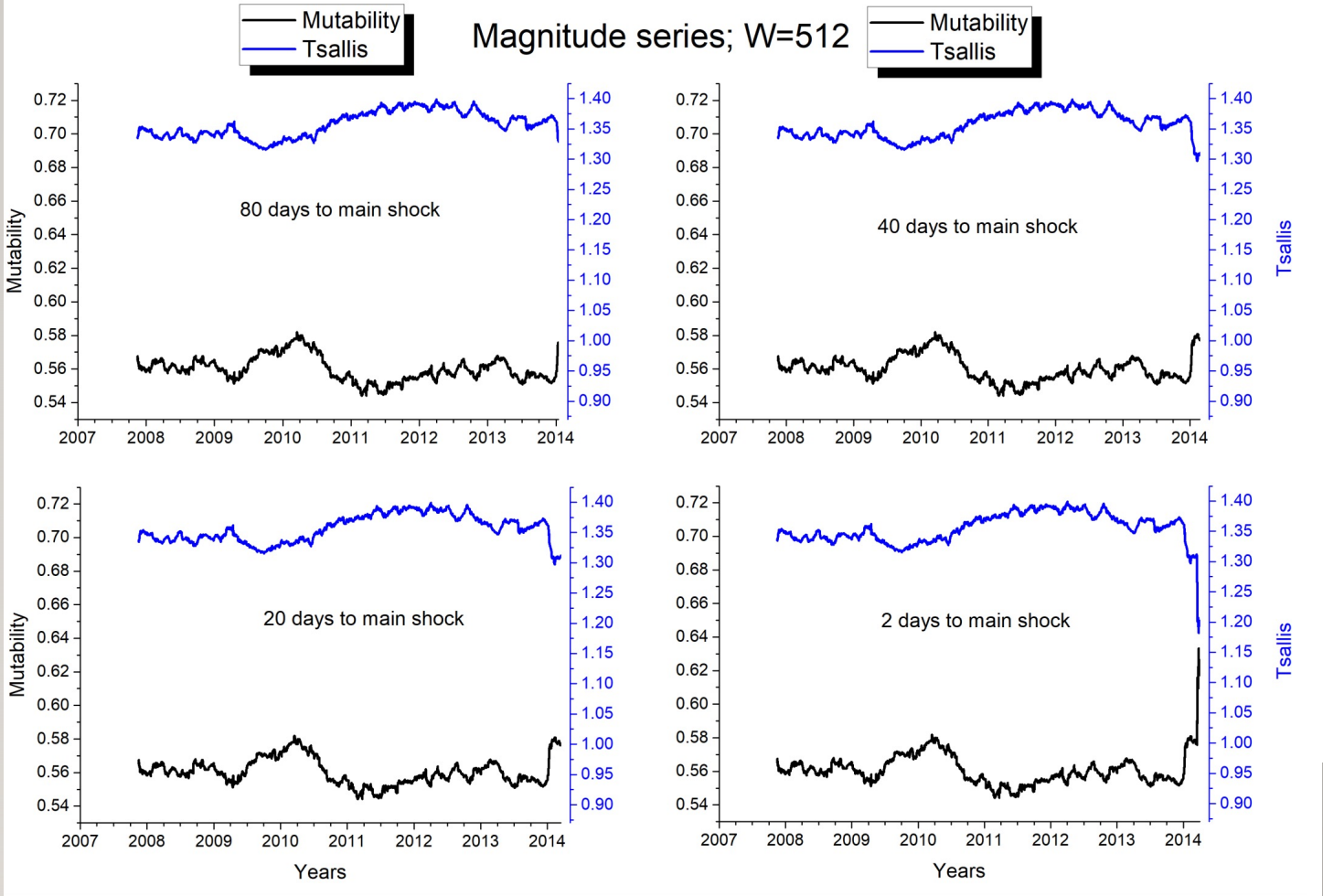


ABIE



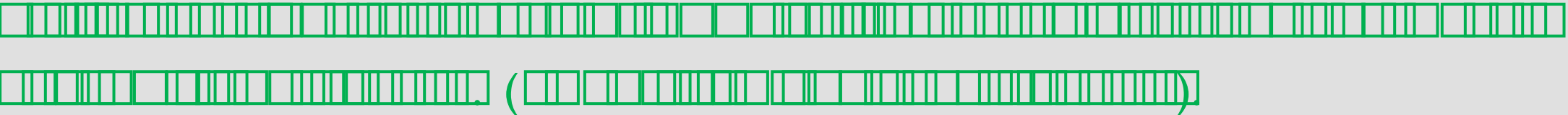

 
 $\square = 256$ $\square \square = 2048$.
 
 
  2007-14.
 B 
  2014.04.01
 
  S_T : \square \square ?
 S_T 
 
 
 
 
 
 
 
 



SEARCH FOR THE GREAT EASTERN CALIFORNIA



C□□C□□D□□G □E□A□□;□E□C□□D (A□D □A□□)□A□□

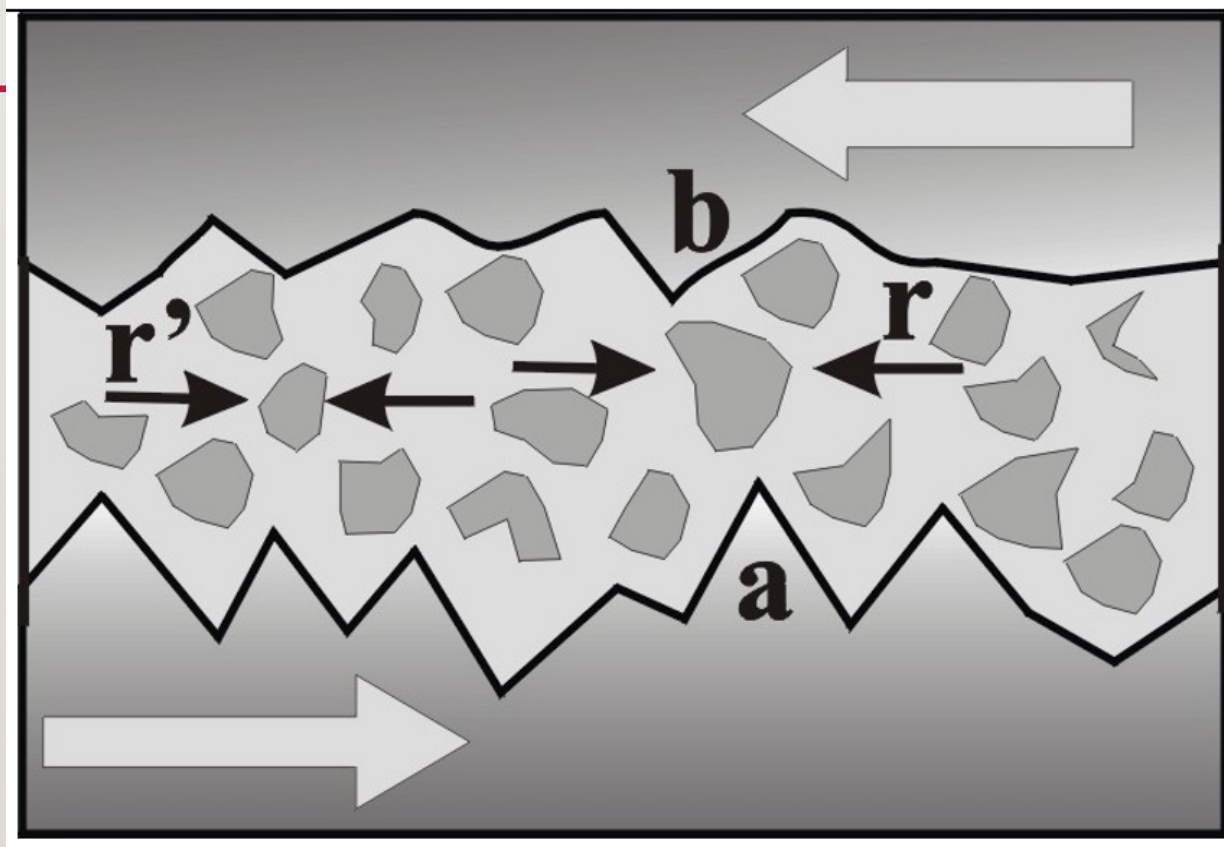
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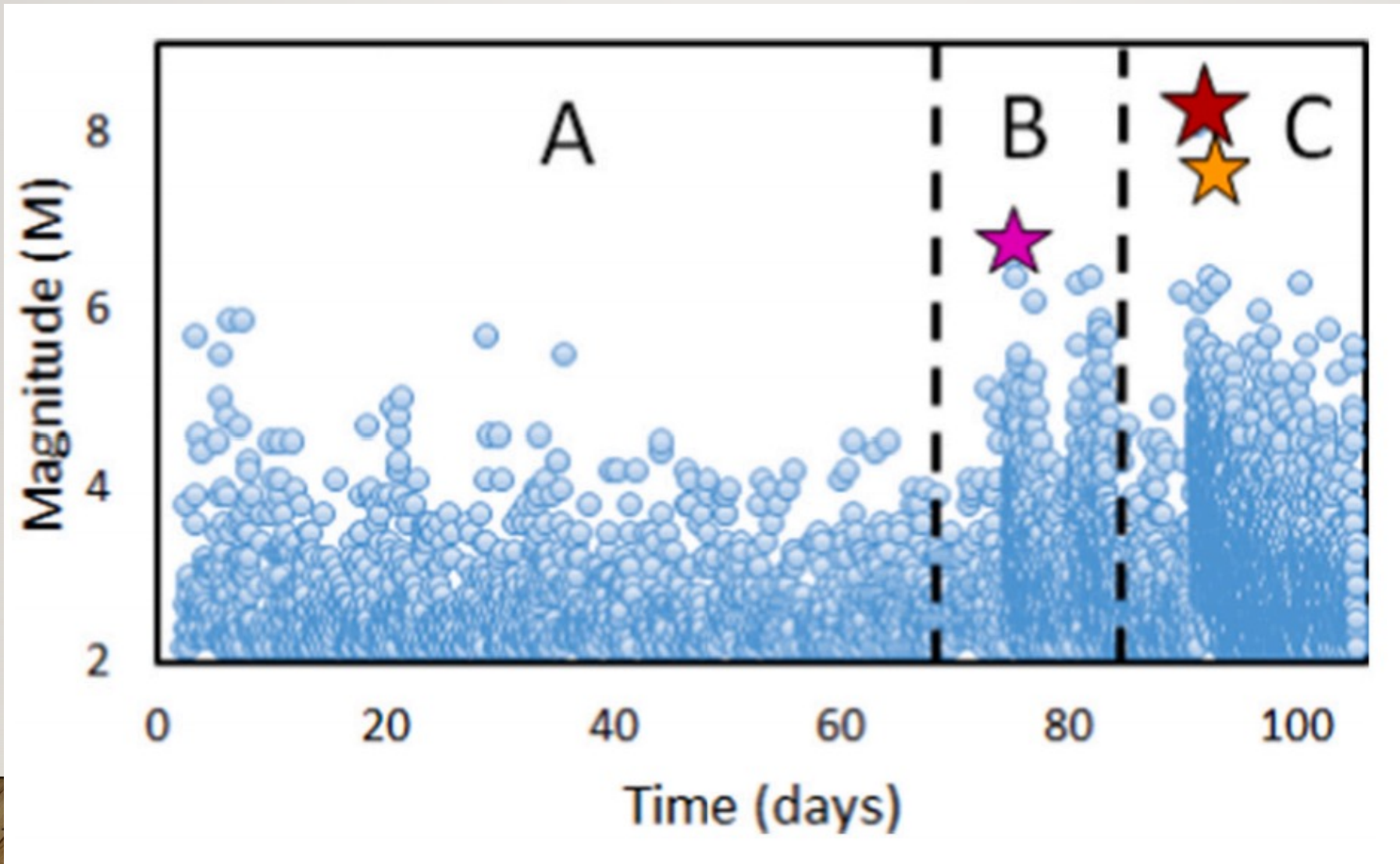


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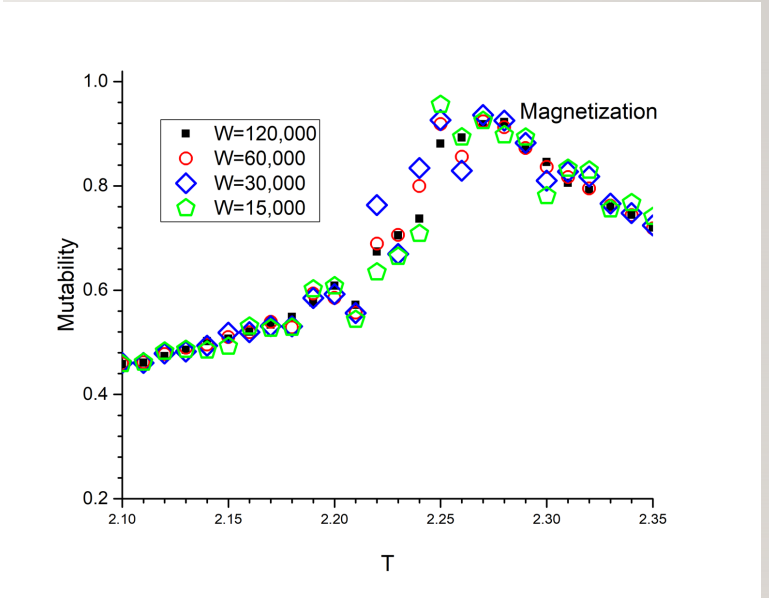
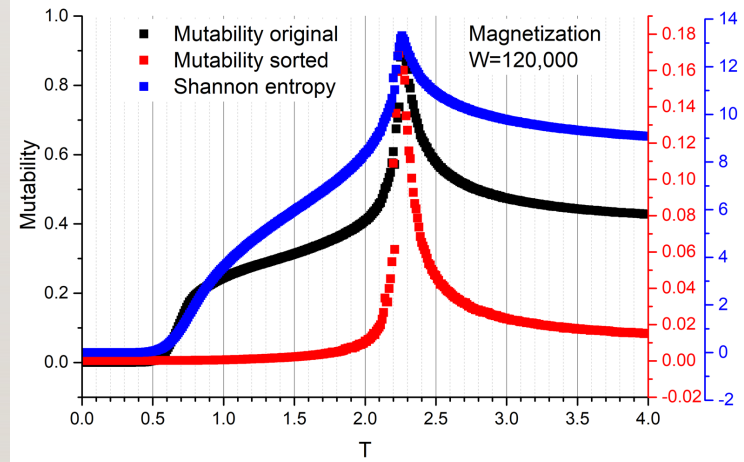
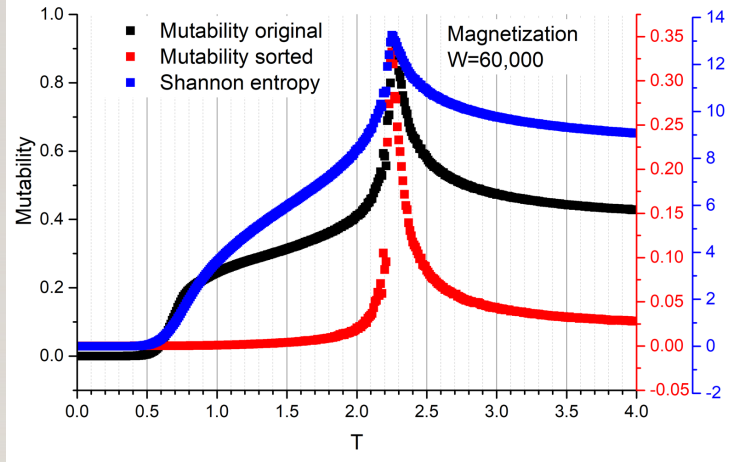
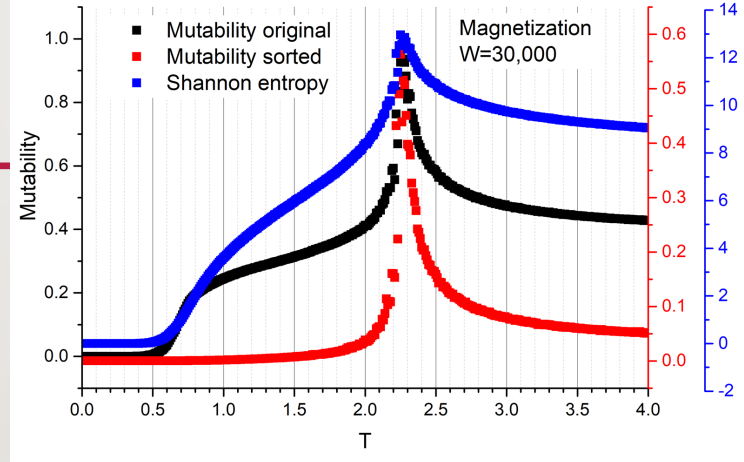
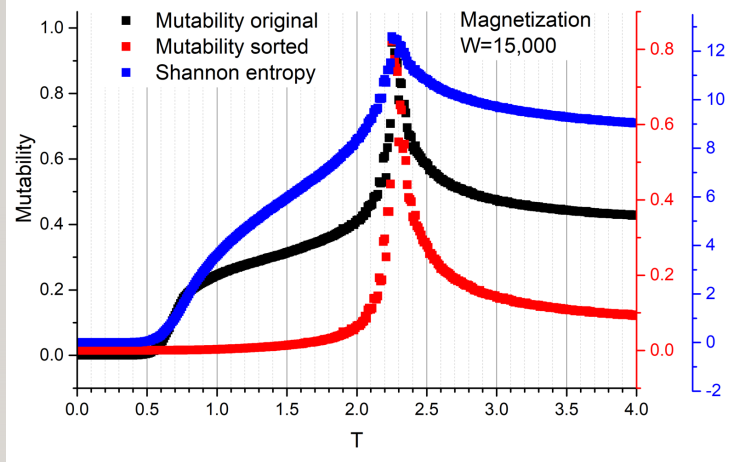
CA □□□□□□ □ F □□□ BD □ C □□□□ □ E □□□□□□□□ ACE DEC □ EA □



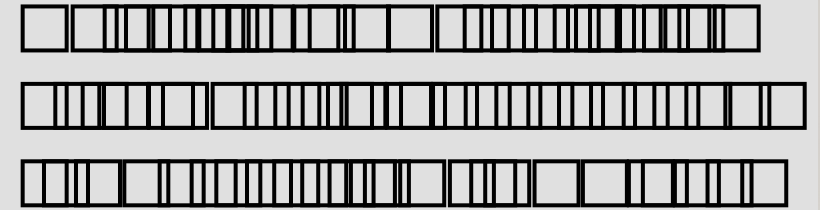
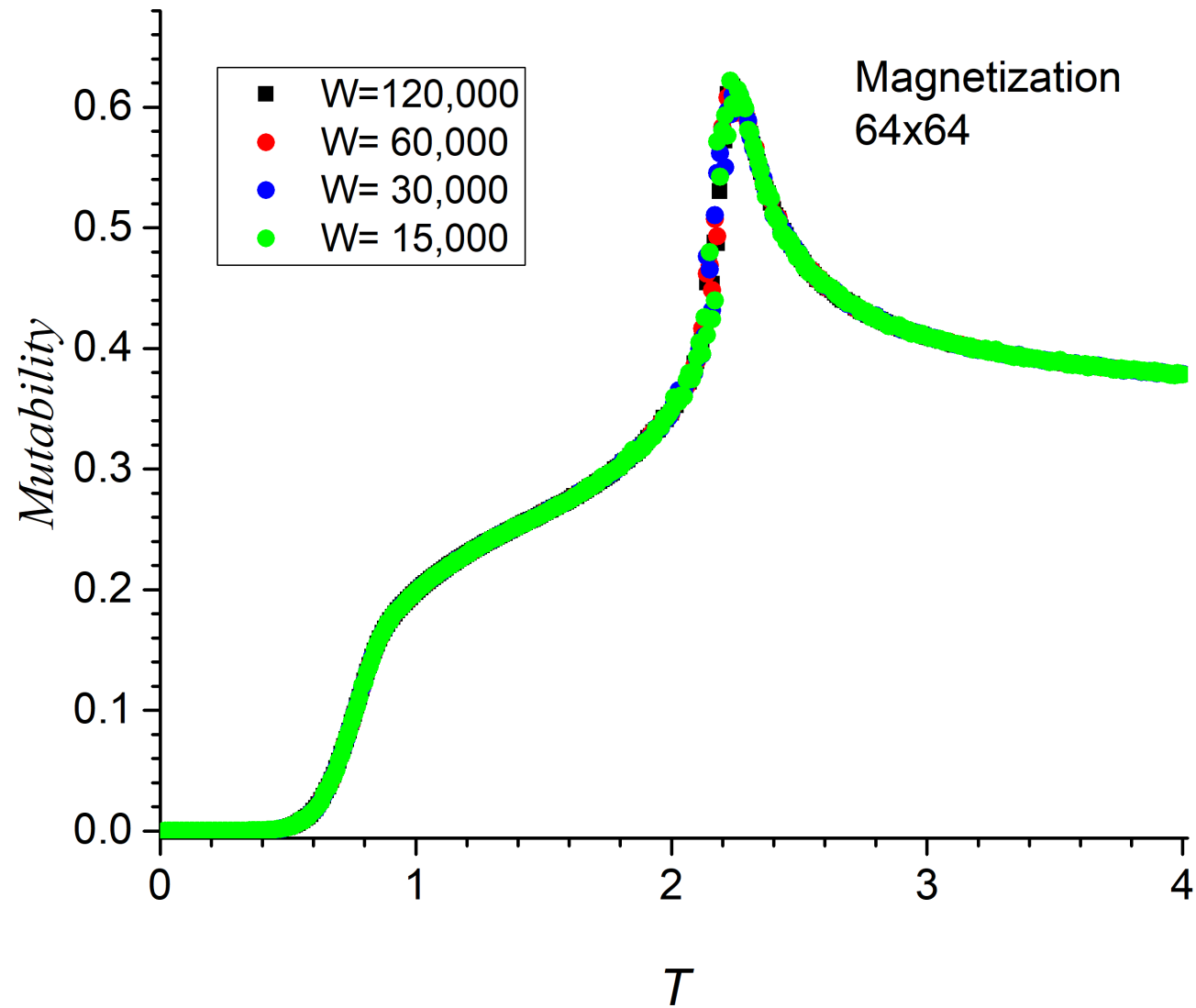
AG DE DA BEF E A D AF E A I I I



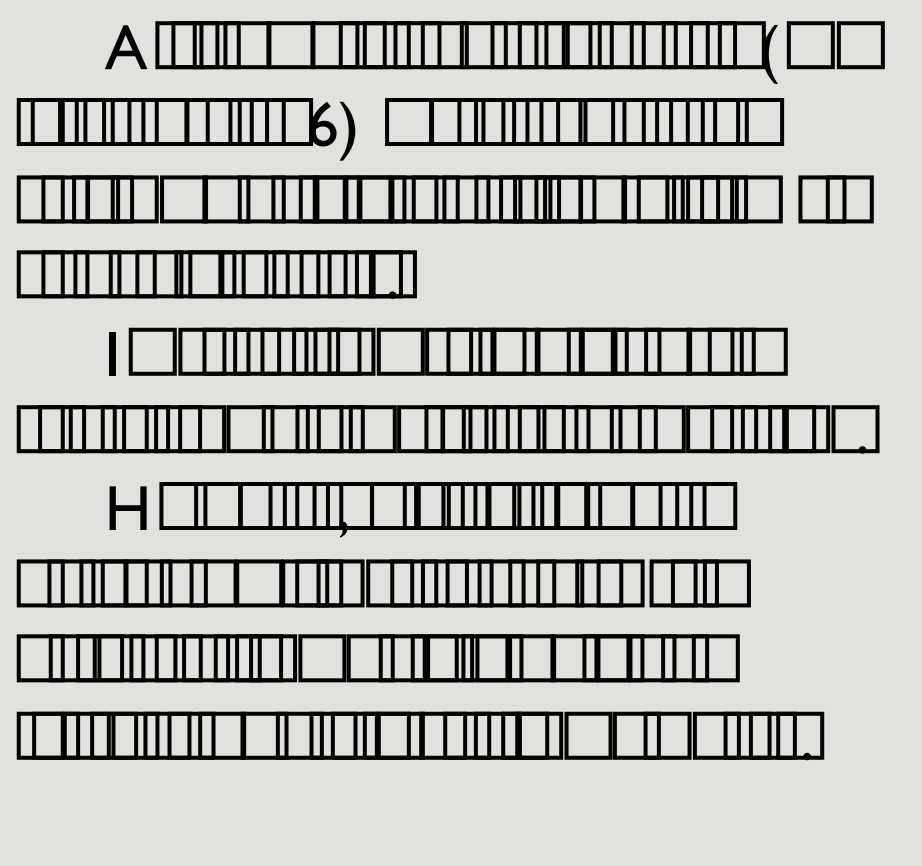
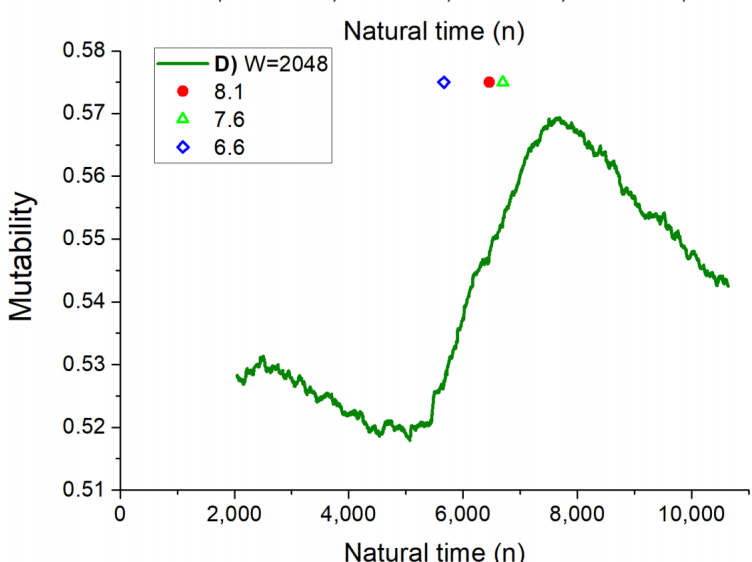
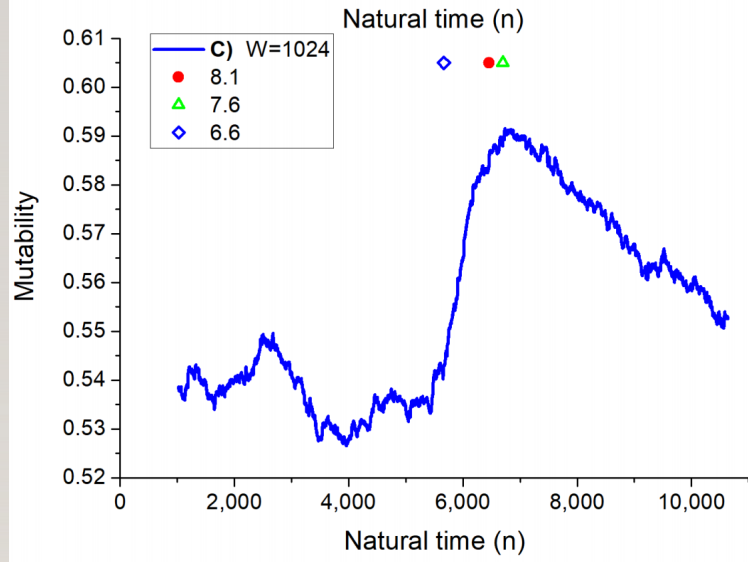
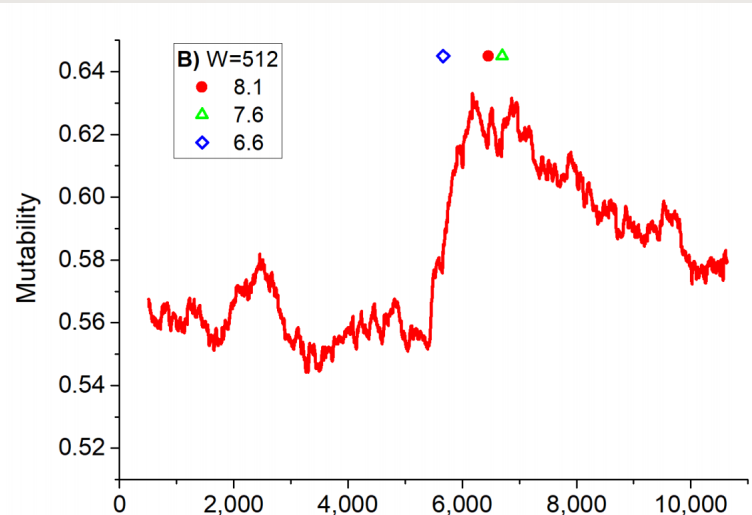
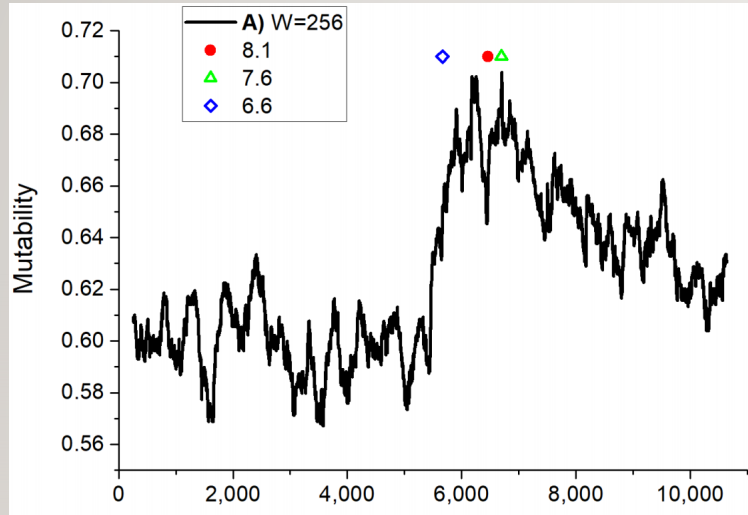
100G 2D; $\xi=128$, BAED $\square\square\square$ AG $\square\square\square$ A $\square\square\square$ $\square\square\square$ $\square\square\square$ CE

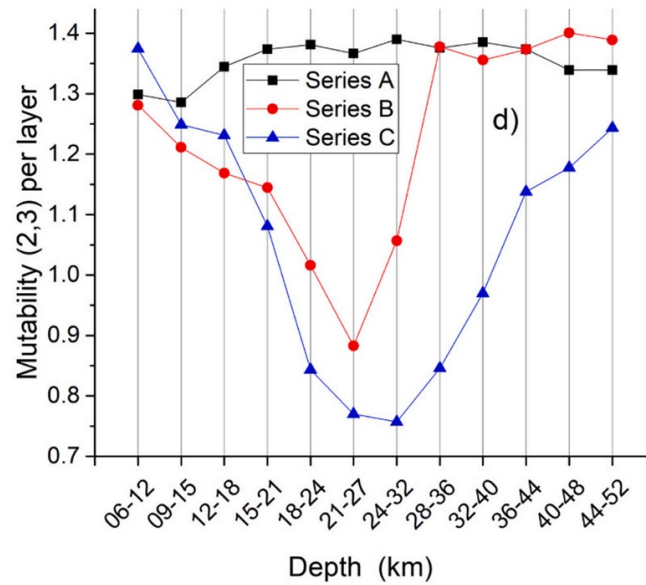
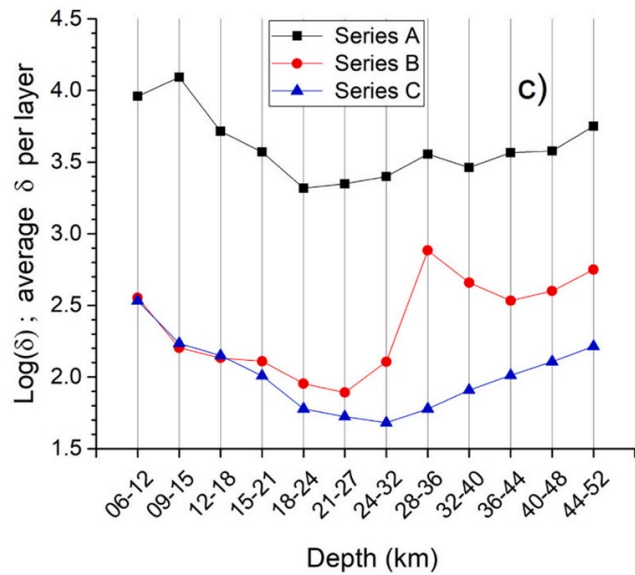
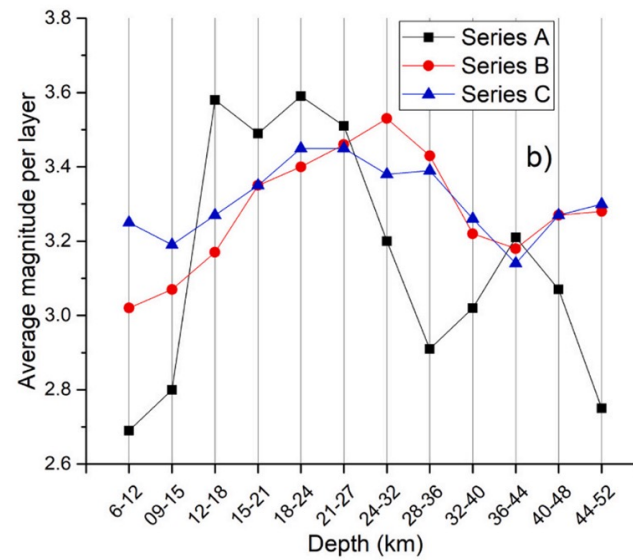
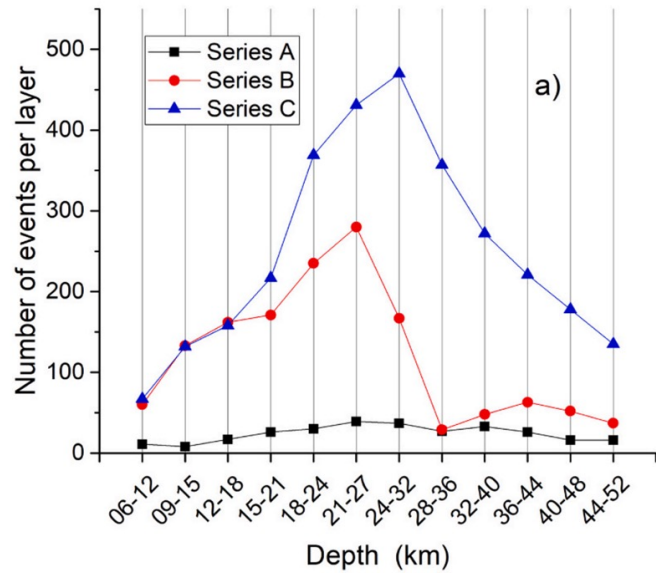


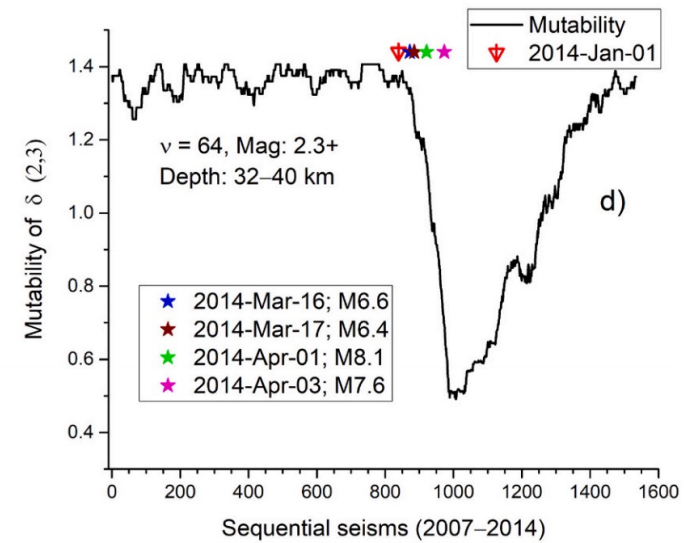
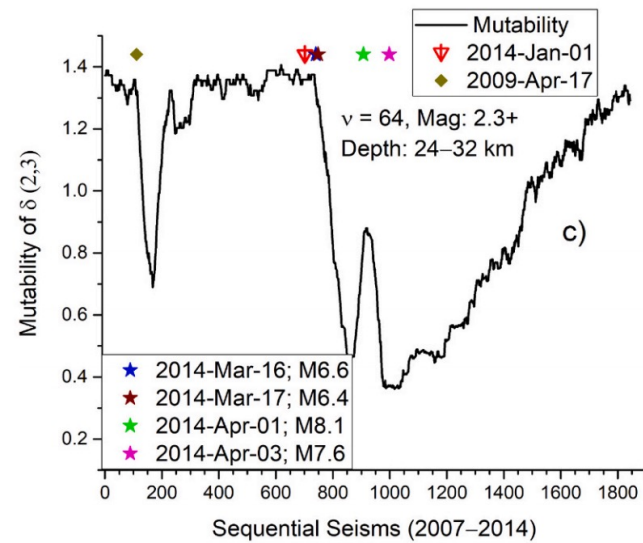
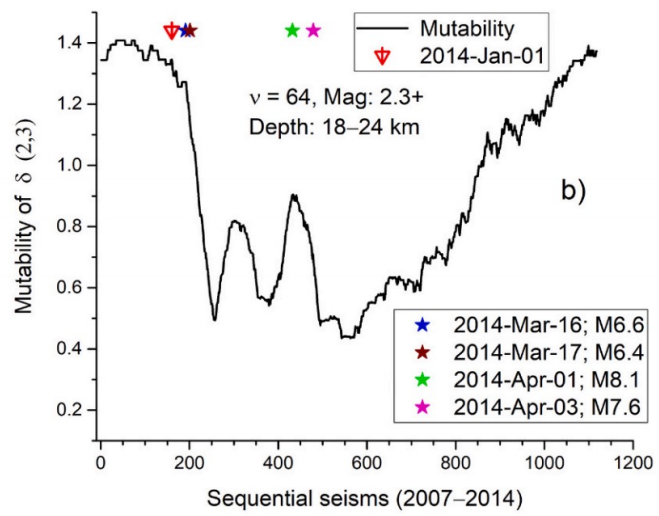
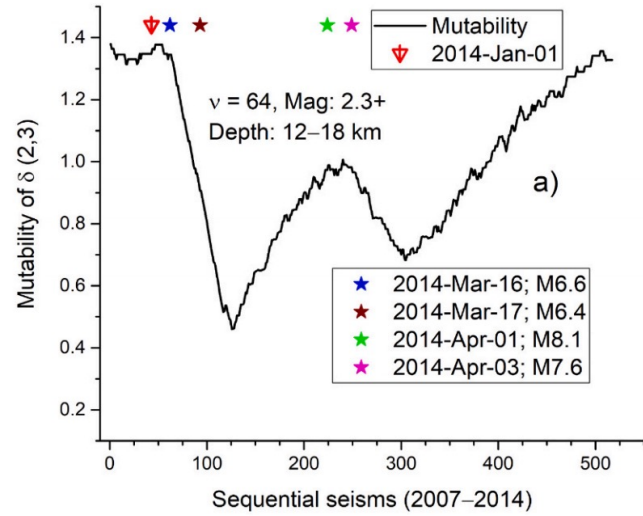
ABI AG EA DA $\neq 64$: DIFFE



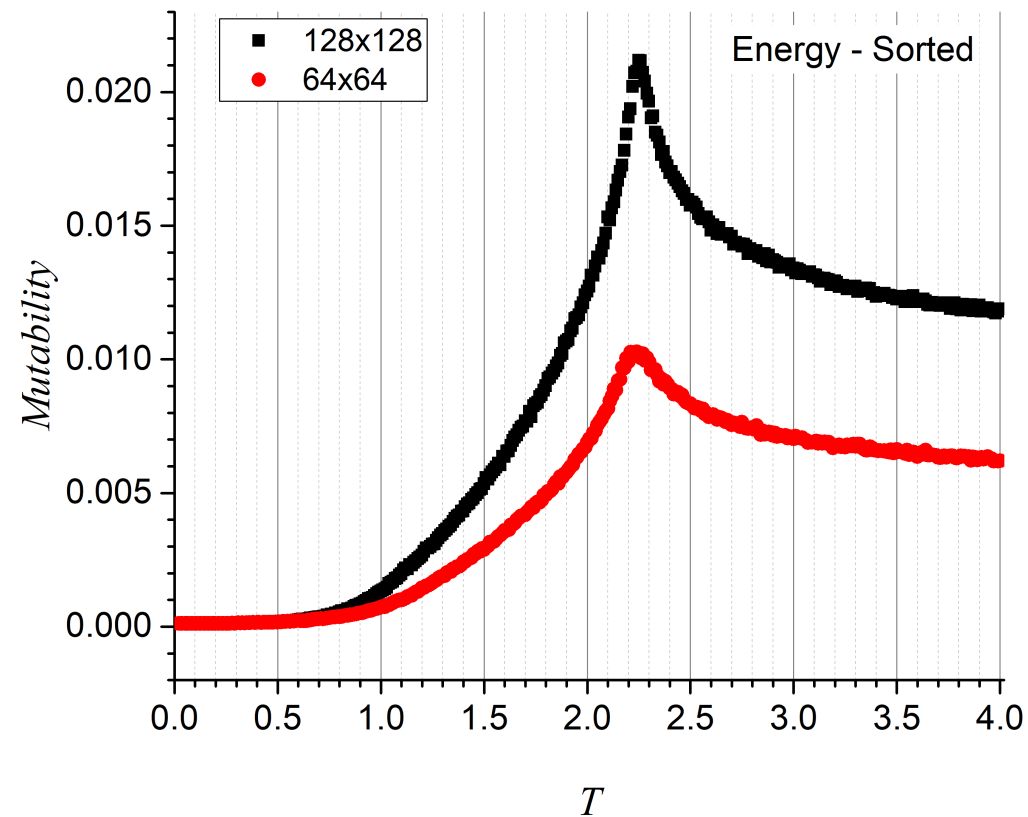
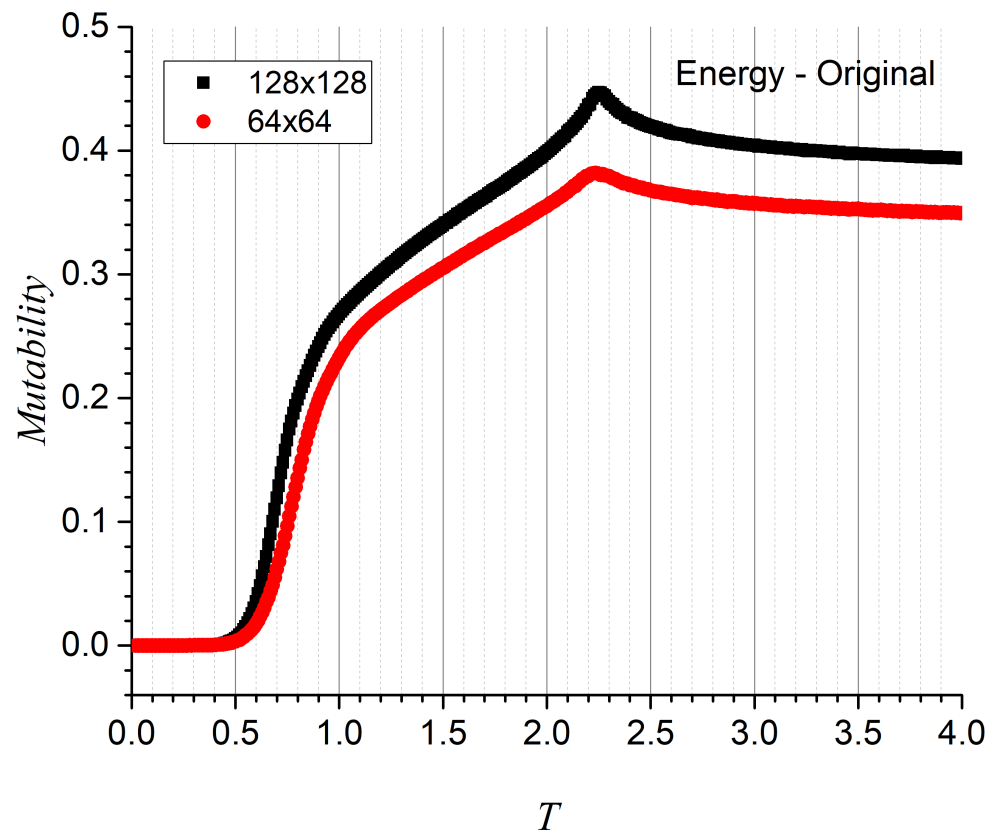
□ A □ □ □ A □ □ □ □ E







ABI: 128 AD 64



HA E E G

